

# Further results on Local Inclusive Distance Antimagic Chromatic number for some families of Graphs

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## Abstract

Let  $\mathcal{G} = (\mathcal{V}, \mathcal{E})$  be a simple and undirected graph with  $|\mathcal{V}| = n$ , where  $n \geq 1$ . A function  $\phi : \mathcal{V}(\mathcal{G}) \rightarrow \{1, 2, \dots, |\mathcal{V}(\mathcal{G})|\}$  is called a local inclusive distance antimagic labeling (LIDAL) if  $w_\phi(u) \neq w_\phi(v)$  for every  $uv \in \mathcal{E}(\mathcal{G})$  where  $w_\phi(v) = \phi(v) + \sum_{x \in N(v)} \phi(x)$ . The function  $\phi$  induces a weight map  $w_\phi$  which is a proper vertex coloring. The local inclusive distance antimagic chromatic number ( $\chi_{lida}(\mathcal{G})$ ) is the least number  $\kappa$  such that there exists LIDAL of  $\mathcal{G}$  which induces  $\kappa$  weights (colors). In this paper, we obtain the  $\chi_{lida}(\mathcal{G})$  of corona product with  $\mathcal{O}_m$ , where  $\mathcal{O}_m$  is the  $m$  number of pendants and the base graph  $\mathcal{G}$  is not admitting LIDAL.

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